## Ganado Unified School District Algebra I

## PACING Guide SY 2014-2015

| Timeline &   | AZ CCRS - Mathematics  | Essential Questions  | Learning Goal  | Vocabulary  |
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| Resources  |  | HESS Matrix  |  | Content/Academic  |
| 1 <sup>st</sup> Quarter<br>Unit 1<br>4 weeks                 | F-IF 3. Recognize that sequences are<br>functions, sometimes defined<br>recursively, whose domain is a subset<br>of the integers   | How can I recognize and<br>write rules for number<br>patterns ?  | <ul> <li>I will recognize the patterns of a given series of numbers.</li> </ul>  | Sequence<br>Terms of sequence<br>Arithmetic sequence<br>Common difference<br>Geometric sequence<br>Common ratio |
|  | F-BF 1. Write a function that describes<br>a relationship between two quantities.*<br>a. Determine an explicit expression, a<br>recursive process, or steps for<br>calculation from a context.             | What are the advantages<br>and disadvantages of<br>using recursive rule or<br>an explicit rule in<br>determining the nth rule<br>of a sequence ? | <ul> <li>I write a function that describes a relationship between two quantities from tables, graphs, etc</li> <li>I will be able to apply what I know about functions to real life problem.</li> </ul>          | Recursive rule<br>Explicit rule   |
|  | F-BF 2. Write arithmetic and<br>geometric sequences recursively<br>and [arithmetic sequences] with an<br>explicit formula, use them to model<br>situations, and translate between the<br>two forms.*       | What are the advantages<br>and disadvantages of<br>using recursive rule or<br>an explicit rule in<br>determining the nth rule<br>of a sequence ? | <ul> <li>I will write arithmetic sequences.</li> <li>I will write geometric sequences.</li> <li>I will recognize arithmetic and geometric sequences and apply these sequences in real world problems.</li> </ul> | Recursive rule<br>Explicit rule   |
| Unit 2<br>Linear<br>Equations and<br>Inequalities<br>5 weeks | <ul><li>A-SSE 1. Interpret expressions that<br/>represent a quantity in terms of its<br/>context.</li><li>a. Interpret parts of an expression,<br/>such as terms, factors, and<br/>coefficients.</li></ul> | How do you write an<br>expression to represent a<br>real world situation ?   | <ul> <li>I will recognize parts of an expression.</li> </ul>   | Variable<br>Algebraic expression<br>Order of operations<br>Verbal model   |

|  | A-CED 1. Create equations and<br>inequalities in one variable and use<br>them to solve problems. <i>Include</i><br><i>equations arising from linear</i><br><i>functions</i>  | How do you write<br>equation and inequalities<br>?   | <ul> <li>I will write equations and<br/>inequalities based on real-world<br/>situations.</li> <li>I will solve equations and<br/>inequalities.</li> </ul>                                      | Rate, unit rate<br>Equation, inequality   |
|--|--|--|--|---|
|  | A-REI I. Explain each step in solving<br>a simple equation as following from<br>the equality of numbers asserted at the<br>previous step, starting from the<br>assumption that the original equation<br>has a solution. Construct a viable<br>argument to justify a solution method. | How do you solve<br>equation using addition,<br>subtraction, multiplication<br>and division? | <ul> <li>I will verbally explain step-by-<br/>step procedures of equations.</li> <li>I will solve equations using<br/>appropriate mathematical<br/>properties justifying each step.</li> </ul> | Inverse operations<br>Equivalent equations<br>Associative property<br>Commutative property<br>Identity<br>Distributive property |
| Reading  | Reading CCR 1: Read closely to<br>determine what the text says explicitly<br>and to make logical inferences from it.   |  | Students will be able to read real-<br>world situations and make inferences<br>related to desired results.   |   |
| Writing  | Writing CCR1: Using valid reasoning to support claims.   |  |  |   |
| 2 <sup>nd</sup> Quarter<br>Unit 3<br>Reasoning<br>with equations<br>and<br>inequalities<br>3 weeks | A-REI.1. Explain each step in solving<br>a simple equation as following from<br>the equality of numbers asserted at the<br>previous step, starting from the<br>assumption that the original equation<br>has a solution. Construct a viable<br>argument to justify a solution method. | How do solve equation<br>with variable in both<br>sides?                                     | • I will understands the principles of equality and apply these principles step by step in solving equations.  | Cross product<br>Scale model<br>Literal equation  |
|  | A-REI.10. Understand that the graph<br>of an equation in two variables is the<br>set of all solutions plotted in the<br>coordinate plane, often forming a<br>curve (which could be a line).  | How do you graph linear<br>equations in two<br>variables?                                    | • I will be able to reason and make interpretations of graphs, tables, and equations.  | Linear equation<br>Solution, graph of an equation in<br>two variables<br>x-and y-intercept<br>slope and change of rate          |
| 2 <sup>nd</sup> Quarter<br>Unit 3<br>Functions   | A-CED 2. Create equations in two or<br>more variables to represent<br>relationships between quantities; graph<br>equations on coordinate axes with<br>labels and scales  | How do you represent<br>function as tables, rules<br>and graphs?<br>How do you use graph of  | • I will understand that a function from one set (called the domain) to another set (called the range) assigns to each element of the domain   | Domain, range<br>Dependent variable<br>Independent variable<br>Intercept and rate of change                                     |

| 3 weeks                                  |  | a function to solve real-<br>world problems ?   | <ul> <li>exactly one element of the range</li> <li>I will model relationships based on real-world data.</li> </ul>   |   |
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|  | F-IF 4. For a function that models a relationship between two quantities, interpret key features of graphs and tables in terms of the quantities and sketch graphs showing key features given a verbal description of the relationship. <i>Key features include: intercepts; intervals where the function is increasing, decreasing, positive, or negative</i> * | How do changes in linear<br>equations and functions<br>affects the graph ?  | <ul> <li>Given a graph, I will be able to interpret its features as they relate to real-world interpretations.</li> <li>Given real-world data as an expression or a table, I will be able to produce and interpret appropriate graphs, using technology when appropriate.</li> </ul> | Domain, range<br>Dependent variable<br>Independent variable<br>Intercept and rate of change   |
| Unit 4<br>Linear<br>Functions<br>6 weeks | <ul><li>F-LE 1. Distinguish between situations that can be modeled with linear functions [and with exponential functions].</li><li>a. Prove that linear functions grow by equal differences over equal intervals over equal intervals.</li></ul>   | How can you distinguish<br>between real-world<br>situation using linear,<br>quadratic and exponential<br>function ?               | • I will be able to determine<br>when a verbal description or<br>table can be represented by a<br>linear function.   | Slope and rate of change<br>Slope-intercept form<br>Quadratic equation/function<br>Properties of exponents<br>Exponential growth and decay (<br>graph ) |
|  | b. Recognize situations in which one<br>quantity changes at a constant rate per<br>unit interval relative to another   | How can you distinguish<br>between real-world<br>situation using linear,<br>quadratic and exponential<br>function ?               | • I will understand the slope of<br>a linear equation represents<br>rate of change and that the y-<br>intercept is the starting point.   | Slope and rate of change<br>Slope-intercept form<br>y-intercept   |
|  | F-LE 5. Interpret the parameters in a linear function in terms of a context.   | How do you use the<br>language of Math to<br>model linear relationships<br>in real-world situations ?<br>( slope and y-intercept) | • I will understand the effects<br>of m and b in the equation y =<br>mx + b when analyzing real-<br>world situations using a linear<br>model.  | Slope and rate of change<br>Slope-intercept form<br>y-intercept   |
| Reading                                  | Reading CCR 1: Read closely to<br>determine what the text says explicitly<br>and to make logical inferences from it.   |   | Students will be able to read real-<br>world situations and make inferences<br>related to desired results.   |   |
| Writing                                  | Writing CCR1: Using valid reasoning  |   |  |   |

|                         | to support claims.   |  |  |  |
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| 3 <sup>rd</sup> Quarter | AZ-HS.F-IF.A.1. Understand that a<br>function from one set (called the<br>domain) to another set (called the<br>range) assigns to each element of the<br>domain exactly one element of the<br>range. If f is a function and x is an<br>element of its domain, then $f(x)$<br>denotes the output of f corresponding<br>to the input x. The graph of f is the<br>graph of the equation $y = f(x)$ . [From<br>cluster: Understand the concept of a<br>function and use function notation] | How do I use function<br>and models to understand<br>relationship?   | • I will understand the<br>definition of function as<br>applied verbally, as a table, as<br>an equation, as a graph, and<br>as ordered pairs. I can use<br>functional notation and<br>differentiate functional<br>notation from notation used to<br>express equations. | Domain and range<br>Linear function<br>Function notation<br>Rate of change<br>y-intercept<br>constraints   |
|                         | AZ-HS.F-IF.A.2. Use function<br>notation, evaluate functions for inputs<br>in their domains, and interpret<br>statements that use function notation<br>in terms of a context. [From cluster:<br>Understand the concept of a function<br>and use function notation]   | What is functional notation ?  | I will use functional notation<br>and use functional notation to<br>evaluate and interpret real-<br>world problems.  | Domain and range<br>Linear function<br>Function notation<br>Rate of change<br>y-intercept<br>constraints   |
|                         | AZ-HS.F-IF.B.5. Relate the domain of<br>a function to its graph and, where<br>applicable, to the quantitative<br>relationship it describes. For example,<br>if the function h(n) gives the number<br>of person-hours it takes to assemble n<br>engines in a factory, then the positive<br>integers would be an appropriate<br>domain for the function. [From<br>cluster: Interpret functions that arise in<br>applications in terms of the context]                                    | How you apply concept of<br>function to solve real-<br>world problem ?   | • I will be able to interpret<br>graphs within the context of<br>their real-world application<br>and I will write equations and<br>functions based on<br>interpreting graphs of real-<br>world situations.   | Domain and range<br>Linear function<br>Function notation<br>Rate of change<br>y-intercept<br>constraints   |
|                         | AZ-HS.A-CED.A.3. Represent<br>constraints by equations or<br>inequalities, and by systems of<br>equations and/or inequalities, and<br>interpret solutions as viable or<br>nonviable options in a modeling  | How do you solve system<br>of linear equations and<br>linear inequalities using<br>various methods ?<br>How do you interpret the | • I will create equations and<br>inequalities that model<br>numbers and relationships in<br>a real-world context.  | System of linear equations<br>System of linear inequalities<br>Graph of system of linear<br>equations<br>Graph of a system of linear<br>inequalities |

| context. For example, represent<br>inequalities describing nutritional and<br>cost constraints on combinations of<br>different foods. [From cluster: Create<br>equations that describe numbers or<br>relationships]  | graphs of the solutions   |   | Solution system of linear<br>equations<br>Solution system of linear<br>inequalities                   |
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| AZ-HS.A-CED.A.4. Rearrange<br>formulas to highlight a quantity of<br>interest, using the same reasoning as in<br>solving equations. For example,<br>rearrange Ohm's law V = IR to<br>highlight resistance R. [From cluster:<br>Create equations that describe<br>numbers or relationships]   | How do you rearrange<br>formulas to highlights<br>points of interest?   | I will create equations and<br>inequalities that model<br>numbers and relationships in<br>a real-world context.   | Variable<br>Literal equation<br>Formula   |
| AZ-HS.N-Q.A.1.Use units as a way to<br>understand problems and to guide the<br>solution of multi-step problems;<br>choose and interpret units consistently<br>in formulas; choose and interpret the<br>scale and the origin in graphs and data<br>displays. [From cluster: Reason<br>quantitatively and use units to solve<br>problems]              | How do you use rate and<br>unit rate to understand<br>real-world problem?<br>How do I consistently<br>choose unit ? | I will choose units of measure<br>consistently within a real-<br>world context and I will make<br>appropriate conversions<br>between different units of<br>measure. | Rate<br>Unit rate   |
| AZ-HS.N-Q.A.2. Define appropriate<br>quantities for the purpose of<br>descriptive modeling. [From cluster:<br>Reason quantitatively and use units to<br>solve problems]  | How do you use rate and<br>unit rate to model real-<br>world problem?   | I will be able to solve<br>problems by evaluating<br>models which use various<br>quantities.  | Rate<br>Unit rate   |
| AZ-HS.F-LE.A.2. Construct linear and<br>exponential functions, including<br>arithmetic and geometric sequences,<br>given a graph, a description of a<br>relationship, or two input-output pairs<br>(include reading these from a table).<br>[From cluster: Construct and compare<br>linear, quadratic, and exponential<br>models and solve problems] | How do you write linear<br>and exponential function<br>given various real-world<br>data ?                           | I can write an equation based<br>on real-world data from a<br>table, a written description, or<br>a graph.  | Properties of exponents<br>Zero exponent<br>Negative exponent<br>Rate of change(slope)<br>y-intercept |

| Reading                 | Reading CCR 1: Read closely to<br>determine what the text says explicitly<br>and to make logical inferences from it.  |  | Students will be able to read real-<br>world situations and make inferences<br>related to desired results.                      |  |
|-------------------------|---|--|---|--|
| Writing                 | Writing CCR1: Using valid reasoning to support claims.  |  |   |  |
| 4 <sup>th</sup> Quarter | AZ-HS.N-RN 1. Explain how the definition of the meaning of rational exponents follows from extending the properties of integer exponents to those values, allowing for a notation for radicals in terms of rational exponents. For example, we define $5^{1/3}$ to be the cube root of 5 because we want $(5^{1/3})^3 = 5^{(1/3)3}$ to hold, so $(5^{1/3})^3$ must equal 5. | How can I use the<br>properties of exponents to<br>explore real life problems<br>such as exponential<br>growth and decay ? | I will apply properties of exponents to simplify expressions.   | Exponential function<br>Exponential decay<br>Compound interest<br>Exponential growth     |
|                         | AZ-HS.N-RN 2. Rewrite expressions<br>involving radicals and rational<br>exponents using the properties of<br>exponents.   | How do you use zero and negative exponents?  | I will use the language of exponents<br>and radicals to express real world<br>Ideas.  | Zero exponent<br>Negative exponents<br>Scientific notation<br>Growth factor, growth rate |
|                         | AZ-HS.A-APR.A.1. Understand that<br>polynomials form a system analogous<br>to the integers, namely, they are closed<br>under the operations of addition,<br>subtraction, and multiplication; add,<br>subtract, and multiply polynomials.<br>[From cluster: Perform arithmetic<br>operations on polynomials]   | How do you add, subtract<br>and multiply polynomial?   | I will use the operations of<br>polynomials to model trends and<br>determine solutions such as areas of<br>real world problems. | Monomial<br>Binomial<br>Trinomial<br>Polynomial<br>Degree<br>Leading coefficient         |
|                         | AZ-HS.F-LE.A.1. Distinguish<br>between situations that can be<br>modeled with linear functions and<br>with exponential functions. [From<br>cluster: Construct and compare linear,<br>quadratic, and exponential models and<br>solve problems]   | How do you graph<br>quadratic function?  | I will investigate real world problems<br>such as suspension bridges using<br>quadratic functions.                              | Quadratic function<br>Symmetry<br>Parabola<br>Vertex<br>Minimum value<br>Maximum value   |

| AZ-HS.F-LE.A.2. Construct linear and    | How do you graph   | I will investigate real world problems | Quadratic function    |
|---|--|--|-----------------------|
| exponential functions, including        | quadratic function?  | such as suspension bridges using       | Symmetry              |
| arithmetic and geometric sequences,     |  | quadratic functions.                   | Parabola              |
| given a graph, a description of a       |  |  | Vertex                |
| relationship, or two input-output pairs |  |  | Minimum value         |
| (include reading these from a table).   |  |  | Maximum value         |
| [From cluster: Construct and compare    | CA332  |  |                       |
| linear, quadratic, and exponential      |  |  |                       |
| models and solve problems]              | 1 13   |  |                       |
| AZ-HS.F-LE.A.3. Observe using           | How can I solve real   | I will solve quadratic equations using | Completing the square |
| graphs and tables that a quantity       | world problems such as   | the square root and completing the     | Quadratic equation    |
| increasing exponentially eventually     | falling objects?   | square.                                | _                     |
| exceeds a quantity increasing linearly, |  |  |                       |
| quadratically, or (more generally) as a | A  | $\wedge \wedge$                        |                       |
| polynomial function. [From cluster:     |  | ( ) ( )                                |                       |
| Construct and compare linear,           | COMMUNICATI  | ON CONTRACTOR                          |                       |
| quadratic, and exponential models and   | CAR STREET, ST | CARGELE                                |                       |
| solve problems]                         |  | 1.411014                               |                       |

